

Marks Scored:

KATHMANDU UNIVERSITY
End Semester Examination
August/September, 2017

Level : B.E.

Year : II

Exam Roll No. :

Time: 30 mins

Course : MEEG 202

Semester : II

F. M. : 20

Registration No. :

Date SEP 04 2017

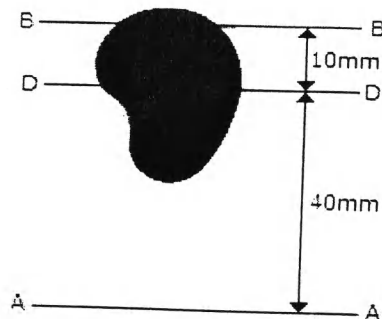
SECTION "A"

[20Q × 1 = 20 marks]

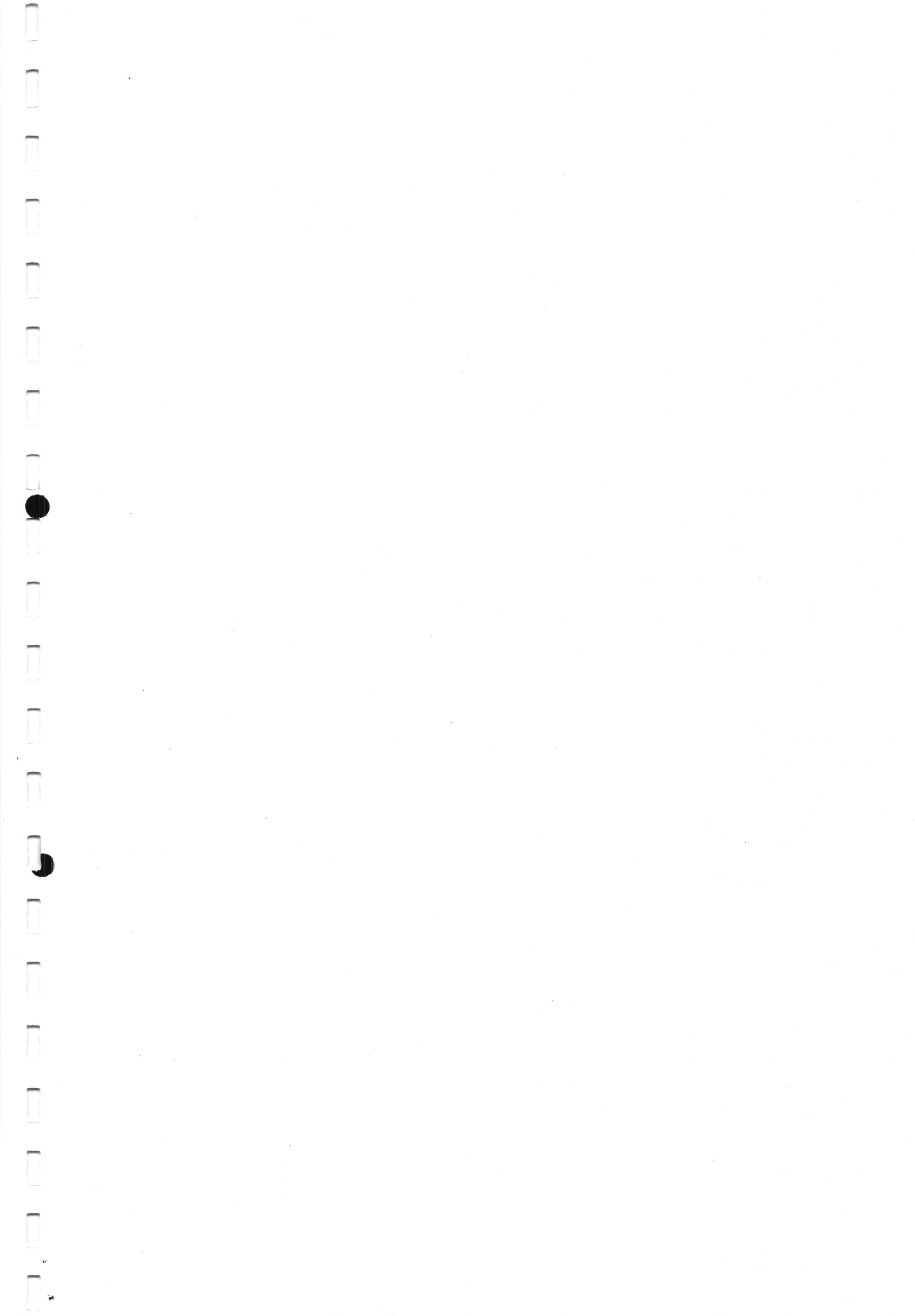
Choose the most appropriate answer and mark [X].

1. The stress at which the extension of the material takes place more quickly as compared to the increase in load, is called
 elastic limit yield point ultimate point breaking point
2. Compression members always tend to buckle in the direction of the
 axis of load perpendicular to the axis of load
 minimum cross section least radius of gyration
3. The bending moment in the centre of a simply supported beam carrying a uniformly distributed load of w per unit length is
 zero $wl^2/2$ $wl^2/4$ $wl^2/8$
4. A beam of uniform strength has
 same cross-section throughout the beam same bending stress at every section
 same bending moment at every section same shear stress at every section
5. The extremities of any diameter on Mohr's circle represent
 principal stresses normal stresses on planes at 45°
 shear stresses on planes at 45° normal and shear stresses on a plane
6. For any part of a beam subjected to uniformly distributed load, Shear force diagram is
 horizontal straight line vertical straight line
 line inclined to x-axis parabolic
7. When the shear force diagram is a parabolic curve between two points, it indicates that there is a
 point load at the two points
 no loading between the two points
 uniformly distributed load between the two points
 uniformly varying load between the two points
8. When a bar of length l , width b and thickness t is subjected to a pull of P , its
 length, width and thickness increases
 length, width and thickness decreases
 length increases, width and thickness decreases
 length decreases, width and thickness increases

17. The irregular area has a moment of inertia about the AA axis of $35 (10^6) \text{ mm}^4$. If the total area is $12.0 (10^3) \text{ mm}^2$, determine the moment of inertia if the area about the BB axis. The DD axis passes through the centroid C of the area.



- $I_{BB} = 5.00(10^6) \text{ mm}^4$ $I_{BB} = 17.00(10^6) \text{ mm}^4$
 $I_{BB} = 16.80(10^6) \text{ mm}^4$ $I_{BB} = 55.4(10^6) \text{ mm}^4$
18. Moment of inertia is the
 second moment of force second moment of area
 second moment of mass all of these
19. In a simply supported beam, bending moment at the end
 is always zero if it does not carry couple at the end
 is zero, if the beam has uniformly distributed load only
 is zero, if the beam has concentrated loads only
 may or may not be zero
20. A beam of uniform strength has
 same cross section through the beam same bending stress at every section
 same bending moment at every section same shear stress at every section



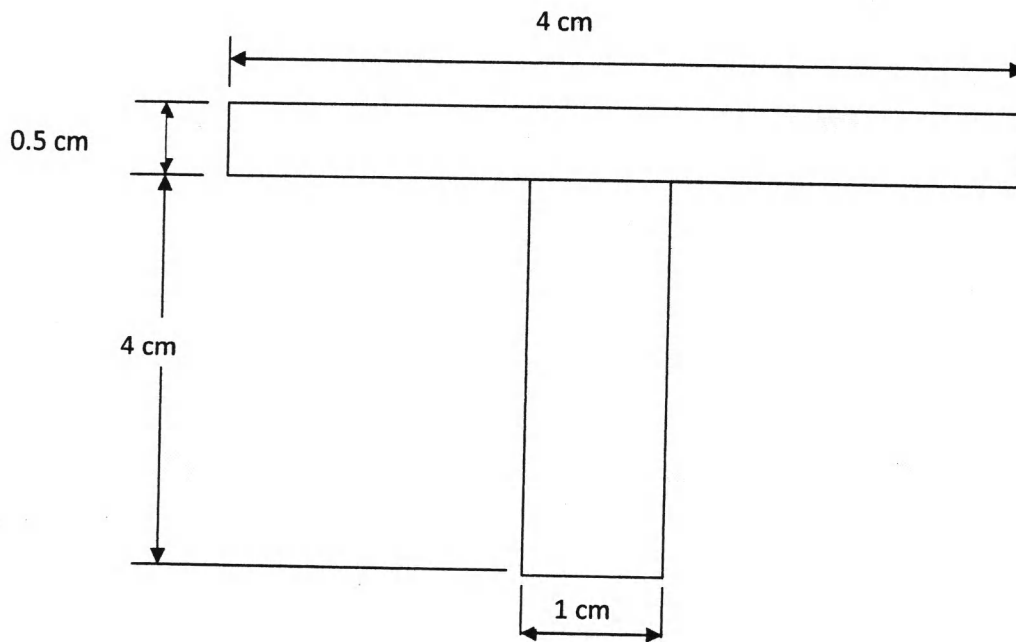
Level : B.E.
Year : II
Time : 2 hrs. 30 mins.

Course : MEEG 202
Semester : II
F. M. : 55

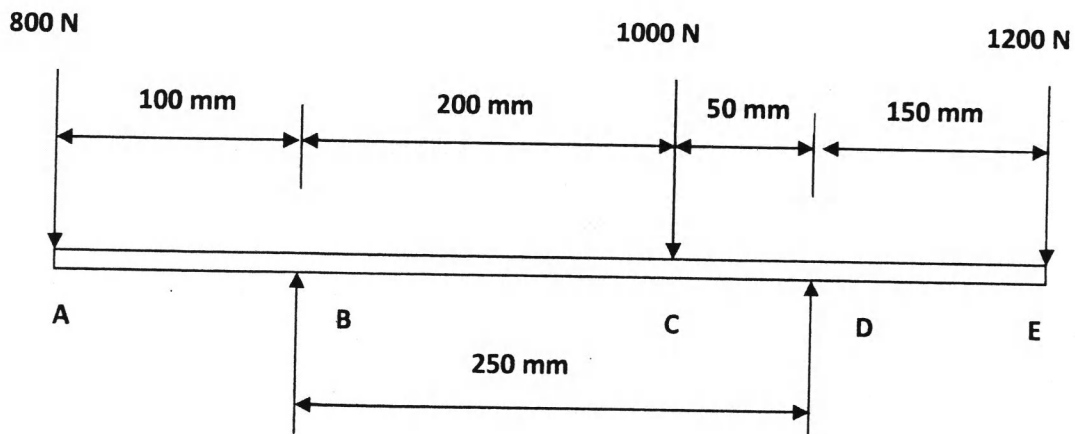
Attempt **ALL** question. Assume suitable data if necessary.

SECTION "B"

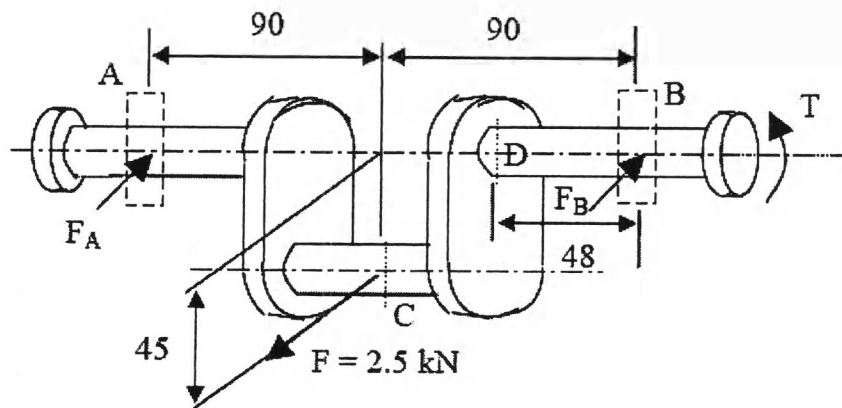
1. State and prove theorem of parallel axis. [3]
2. Compute the moment of inertia of the tee shape in Figure with respect to the centroidal axis. [6]



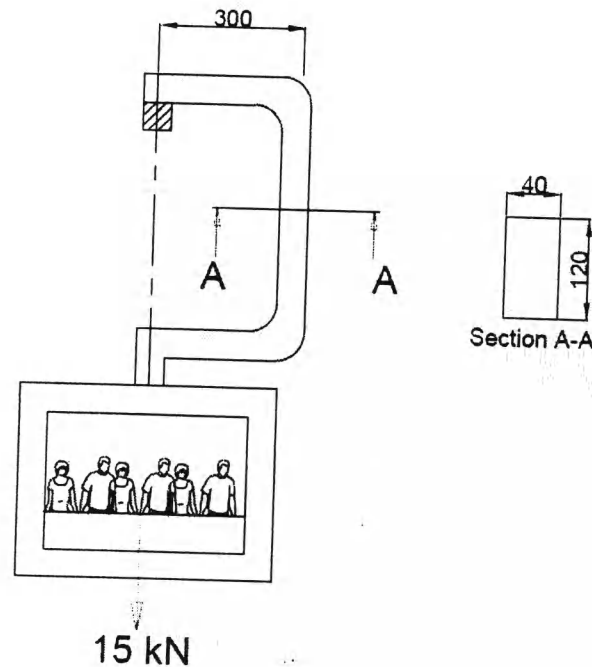
3. Compute the reaction forces at points B and D of overhanging beam in Figure below. Also, Draw its complete Shearing force and bending moment diagrams. [6]



4. A steel bar is placed between two copper bars, each having the same area and length as steel bar at 20°C . At this stage, they are rigidly connected together at both the ends. When the temperature is raised to 320°C , the length of the bars increases by 1.5 mm. Determine the original length and final stresses in the bars. Assume E for Steel = 220 GN/m^2 , E for Copper = 110 GN/m^2 , α for Steel = 0.000012 per $^{\circ}\text{C}$, α for copper = 0.0000175 per $^{\circ}\text{C}$. [6]
5. A beam AB of span 8 meters is simply supported at the ends. It carries a uniformly distributed load of 30 kN/m over its entire length and a concentrated load of 60 kN at 3 meters from the support A. Determine the maximum deflection in the beam and the location where the deflection occurs. Assume $E = 200 \times 10^6 \text{ kN/m}^2$ and $I = 80 \times 10^{-4} \text{ m}^4$. [6]
6. Derive torsion equation for hollow circular shaft. [4]
7. A Solid cylindrical shaft is to transmit 300 kW at 100 rpm .
 i. if the shear stress is not to exceed 80 MN/m^2 , find its diameter.
 ii. What percentage saving in weight would be obtained if this shaft is replaced by a hollow one whose internal diameter equals to 0.6 of the external diameter? The length, the material and maximum shear stress being the same. [4]
8. The steel crankshaft is loaded statically as shown in Figure. The steady force is counter balanced by a twisting torque T and by reactions at A and B. The yield strength of the material is 420 MPa . If the factor of safety according to maximum shear stress theory is to be 2.0, what should be the minimum diameter of the crankshaft? (Note: In practice such problems are dealt with dynamic considerations. Here it is taken as a static example.) At point C, there is normal stress in axial direction due to bending (max. moment). At point D, both axial stress due to bending and shear stress due to torsion exist. [8]



9. The schematic diagram of a lift is shown in the Figure below with the dimension of the arm and cross section. Determine the maximum normal stress developed in the section A-A. Also calculate maximum principal stress and maximum shear stress at the point of maximum stress. Construct Mohr circle and solve. All dimensions are in mm. [8]



10. A Slender pin ended aluminum column 1.8 m long and of circular cross section is to have an outside diameter of 50 mm. Calculate the necessary internal diameter to prevent failure by buckling if the actual load applied is 13.6 kN and the critical load applied is twice the actual load. Take E for aluminum as 70 GN/m^2 . [4]

