

KATHMANDU UNIVERSITY  
End Semester Examination  
February/March, 2019

Marks Scored:

Level : B.Sc.

Year : III

Exam. Roll No.:

Time: 30 mins.

Course : MATH 301

Semester: I

F.M. : 20

Registration No.:

Date FEB 20 2019

SECTION "A"

[10 Q.  $\times$  1 = 10 marks]

Fill in the blank space(s) with the most appropriate word(s), figure(s) or symbol(s).

1. Consider the propositions  $p$  and  $q$  defined as (i)  $p$ : Anil is rich (ii)  $q$ : Kanchan is poor. In symbolic form the statement 'neither Anil nor Kanchan is poor' is expressed as \_\_\_\_\_.
2.  $p \vee (p \wedge q) \equiv$  \_\_\_\_\_.
3. For  $a = 3$  and  $b = 10$ , the values of  $q$  and  $r$  such that  $a = bq + r$  and  $0 \leq r < b$  are  $q =$  \_\_\_\_\_ and  $r =$  \_\_\_\_\_.
4.  $[2](\text{mod } 4) + [3](\text{mod } 4) =$  \_\_\_\_\_.
5. In the poset  $(\mathbb{Z}^+, |)$ , the integers 2 and 4 are called \_\_\_\_\_ since  $2 | 4$ , but 3 and 5 are not since neither  $3 | 5$  nor  $5 | 3$ .
6. Let  $B_n = [n, 2n]$ , then  $B_5 \cap B_8 =$  \_\_\_\_\_.
7. The minimum number of edges that are to be removed from a graph to make it disconnected is called \_\_\_\_\_ of graph.
8. If  $G(V, E)$  be an undirected graph, with  $e$  edges then according to 'Handshaking theorem', the sum of \_\_\_\_\_.
9. In constructing Hasse diagram from digraph of a relation all edges whose existence is implied by \_\_\_\_\_ property of relation are removed.
10. A recurrence relation is defined as  $a_0 = 0$ ,  $a_1 = 1$ ,  $a_n = a_{n-1} + a_{n+2}$ , then the value of \_\_\_\_\_.

SECTION "B"

[10 Q.  $\times$  1 = 10 marks]

Fill in the blank space by choosing the most appropriate answers from the given choices. DO NOT TICK the answers.

11.  $\sim(p \Rightarrow q) \equiv$  \_\_\_\_\_  
(i)  $p \not\Rightarrow q$                       (ii)  $p \wedge \sim q$                       (iii)  $p \vee \sim q$                       (iv)  $\sim p \wedge q$
12. Let " $k(x)$ :  $x$  is a student" and " $l(x)$ :  $x$  is clever." then the statement that "some students are clever" is denoted by \_\_\_\_\_  
(i)  $\exists x (k(x) \wedge l(x))$                       (ii)  $\forall x (k(x) \wedge l(x))$   
(iii)  $\forall x (k(x) \Rightarrow l(x))$                       (iv)  $\exists x (k(x) \vee l(x))$

13. If  $\gcd(a, b) = 1$  and  $b \mid ap$  then they imply that \_\_\_\_\_  
 (i)  $a \mid p$                       (ii)  $a \mid b$                       (iii)  $b \mid p$                       (iv)  $a \mid bp$
14. If  $n > 1$  be a composite integer, then there exists a prime  $p$  such that  $p \mid n$  and \_\_\_\_\_  
 (i)  $p > n$                       (ii)  $p \leq \sqrt{n}$                       (iii)  $p \leq n$                       (iv)  $p > \sqrt{n}$
15. The subset  $A_1, A_2, \dots, A_n$  is a partition of set  $A$  if \_\_\_\_\_  
 (i)  $\bigcup_{i=1}^n A_i = \Omega$                       (ii)  $\bigcup_{i=1}^n A_i = A$                       (iii)  $\bigcap_{i=1}^n A_i = A$                       (iv)  $\bigcap_{i=1}^n A_i = \phi$
16. If bit string of set  $A$  is 01101 and bit string of set  $B$  is 00101, then bit string of  $A - B$  is \_\_\_\_\_  
 (i) 01101                      (ii) 00101                      (iii) 01000                      (iv) 11011
17. The mathematical structure \_\_\_\_\_ is not a poset.  
 (i)  $(\mathbb{Z}, \leq)$                       (ii)  $(P(A), \subseteq)$                       (iii)  $(\mathbb{Z}^+, /)$                       (iv)  $(\mathbb{Z}, <)$
18. A geometric representation of graph redrawn in such way that no two of its edges intersect except only at the common vertex is called \_\_\_\_\_  
 (i) subgraph                      (ii) regular graph  
 (iii) planar graph                      (iv) isomorphic graph
19. \_\_\_\_\_ is symmetric.  
 (i) Adjacency matrix of undirected graph  
 (ii) Adjacency matrix of directed graph  
 (iii) Incidence matrix of undirected graph  
 (iv) Incidence matrix of directed graph
20. To obtain a spanning tree from a graph  $G$  with  $n$  vertices and  $m$  edges we must remove edges from  $G$ .  
 (i)  $n - 1$                       (ii)  $m - 1$                       (iii)  $m - n - 1$                       (iv)  $m - (n - 1)$