

KATHMANDU UNIVERSITY
End Semester Examination [C]
November/December, 2023

Marks Scored:

Level : B.E.

Year : II

Exam Roll No. :

Time: 30 mins.

Course : EEG 221

Semester : II

F. M. : 10

Registration No.:

Date 07 DEC 2023

SECTION "A"

[20 Q. \times 0.5 = 10 marks]

Choose and encircle the most appropriate option.

1. Sampling is the operation used to convert
 - a. a non-causal signal to a causal signal
 - b. an analog signal to digital signal
 - c. a CT signal to a DT signal
 - d. a random signal to a deterministic signal
2. Is it **CORRECT** that the independent variable in the signal is always Time?
 - a. Yes
 - b. No
 - c. No, but we assume that it is
 - d. No, the dependent variable is Time
3. Every signal can be expressed as sum of its even and odd components. The odd component of the signal $x(t) = 2t^3 - t^2 - 3t - 1$ is.....
 - a. $x(t) = 2t^3 - 1$
 - b. $x(t) = 2t^3 - 3t$
 - c. $x(t) = t^2 - 3t$
 - d. $x(t) = t^2 - 3t - 1$
4. Which is the correct relationship between DT unit step and unit impulse signals?
 - a. $u[n] = \sum_{k=-\infty}^n \delta[k]$
 - b. $u[n] = \delta[n] - \delta[n - 1]$
 - c. $u[n] = \int_{-\infty}^n \delta[n] dn$
 - d. $\delta[n] = \sum_{k=-\infty}^n u[k]$
5. Which of the following is not the correct property of the unit impulse signal?
 - a. $\int_{-\infty}^{\infty} 2 \delta(t) dt = 2$
 - b. $\int_{-\infty}^{\infty} x(t) \delta(t - 2) dt = x(2)$
 - c. $\delta(t) = \delta(-t)$
 - d. $\delta(2t) = 2\delta(t)$
6. Signals which change their values suddenly are modeled best by.....
 - a. unit impulse signals.
 - b. unit step signals.
 - c. unit ramp signals.
 - d. exponential signals.
7. The Fourier transform of continuous time sinc signal is.....
 - a. a rectangular pulse
 - b. constant
 - c. a triangular pulse
 - d. a sinc signal
8. A band-limited signal is sampled at twice its Nyquist rate. If the sampling frequency was 2000 Hz, the bandwidth of the signal is.....
 - a. 1000 Hz
 - b. 4000 Hz
 - c. 2000 Hz
 - d. 500 Hz
9. The homogeneous solution of a LCC differential equation is obtained using.....
 - a. condition of initial rest.
 - b. zero initial conditions.
 - c. zero input.
 - d. zero memory.

Level : B.E.
Year : II
Time : 2 hrs. 30 mins.

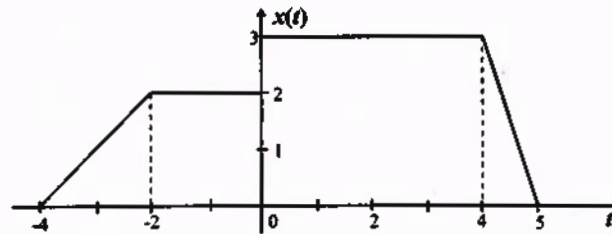
Course : EEEG 221
Semester : II
F. M. : 40

SECTION "B"
[5 Q. × 8 = 40 marks]

Attempt *ANY FIVE* questions. Symbols and abbreviations have usual meanings. Assume suitable values for missing data.

1. a. Given the CT signal below, find and sketch the following: [3]

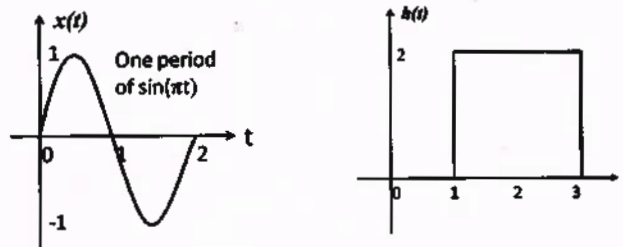
- i) $x(-2 - 0.5t)$
ii) $x(4 - 2t)$
iii) $x(t - 3)u(t)$



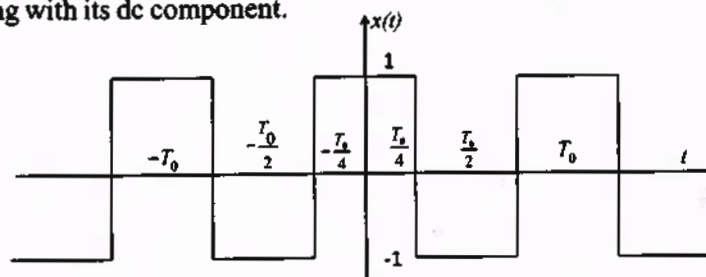
- b. Define following signal classifications with figures and examples [3]
i) Odd-even signals
ii) CT and DT signals

- c. Define the requirement for a system to be called '*linear*'. Check if the system represented by following input output equation is linear or not. [2]
$$y[n] = 2x[n] - 3$$

2. a. State and prove the commutative and associative properties of convolution. Hence explain their consequences in analysis of LTI systems. [3+1]
b. Determine and sketch (approximate) the convolution of the following two signals: [4]

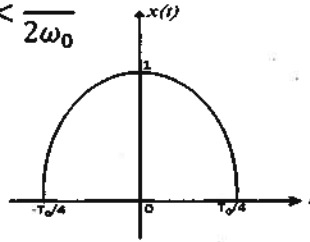


3. a. State and prove the convolution property of CTFT. [2]
b. What do you understand by Gibb's phenomena in CTFS? [2]
c. A periodic rectangular pulse train is shown in figure below. Compute the expression for its exponential Fourier series coefficients. Also compute the values of first two coefficients along with its dc component. [4]



4. a. A cosine pulse is shown below. Find the Fourier transform of the pulse. [3]

$$x(t) = \begin{cases} \cos \omega_0 t, & -\frac{\pi}{2\omega_0} < t < \frac{\pi}{2\omega_0} \\ 0, & \text{otherwise} \end{cases}$$

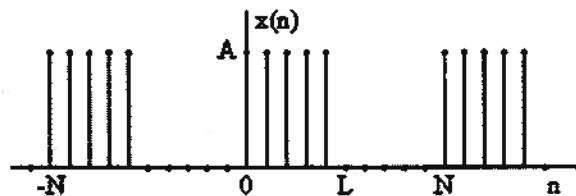


- b. LTI systems may possess different properties. Derive and explain the conditions for a LTI system to be memoryless, causal, and stable. Use relevant examples. [3]
- c. What is the significance of Parseval's relation? Explain ESD and PSD. [2]
5. a. A pulse in frequency domain is defined as below: [3]

$$X(j\omega) = \begin{cases} 2, & -\frac{W}{2} < \omega < \frac{W}{2} \\ 0, & \text{elsewhere} \end{cases}$$

Using the definition of Fourier transform and inverse Fourier transform, obtain the signal $x(t)$ whose Fourier transform is $X(j\omega)$.

- b. A DT periodic pulse train is shown in figure below. Find its DTFS coefficients for $L=6$, $N=12$ and $A=2$. [3]



- c. What is signal mixing? Where is it done? [2]
6. a. CT signals can be represented by its samples if the sampling satisfies the Nyquist criteria. State, derive and explain the Nyquist criteria for sampling baseband signals. [3]
- b. Define signal energy and power. Compute the total energy of the DT signal $x[n] = \begin{cases} 1, & 0 \leq n \leq 5 \\ 0, & \text{otherwise} \end{cases}$ [2]
- c. Explain different types of filter based on its frequency responses. Use figures and expressions when needed. [3]