

KATHMANDU UNIVERSITY
End Semester Examination
July/August, 2024

Marks Scored:

Level : B.Sc.

Year : III

Exam Roll No. :

Time: 30 mins.

Registration No.:

Course : COMP 314

Semester : II

F. M. : 10

Date **30 JUL 2024**

SECTION "A"

[20 Q. × 0.5 = 10 marks]

Choose and mark [X] in the most appropriate option from each set of choices

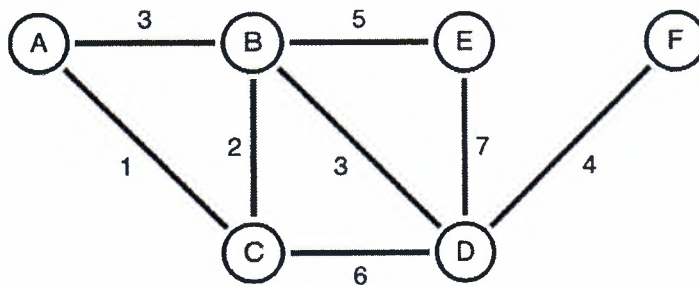
1. What is the average case running time of an insertion sort algorithm?
 $O(N)$ $O(N \log N)$ $O(\log N)$ $O(N^2)$
2. What is the time complexity of the brute force algorithm used to solve the Knapsack problem?
 $O(n)$ $O(n!)$ $O(2^n)$ $O(n^3)$
3. Which of the following is NOT a solution for 5-Queen problem?
 (4, 2, 5, 3, 1) (3, 5, 2, 4, 1) (1, 4, 2, 5, 3) (3, 5, 2, 1, 4)
4. To which of the following class does a Traveling salesman problem belong?
 NP class P class NP complete NP hard
5. What does Maximum flow problem involve?
 finding a flow between source and sink that is maximum
 finding a flow between source and sink that is minimum
 finding the shortest path between source and sink
 computing a minimum spanning tree
6. LCS between 11010101101 and 1010101110 is
 10101010 101010111 1010100 1101010110
7. The running time of Prim's algorithm is _____
 $O((V+E)^2 \log V)$ $O(V \log V)$ $O(E \log V)$ $O(V^2)$
8. A problem Q is NP-complete if and only if
 Q is NP-hard Q is NP
 Q is NP and NP-hard Q is P and NP
9. Divide and conquer approach has drawback of _____ over iterative counterpart.
 algorithmic clarity time consumption
 space consumption both time and space consumption
10. The total time of Ford-Fulkerson algorithm is _____.
 $O(V.E)$ $O(|f| (V+E))$ $O(E.F)$ $O(V^2)$
11. What is the worst-case time complexity of inserting into a binary search tree of n nodes?
 $O(1)$ $O(\log n)$ $O(n)$ $O(n \log n)$

19. Select the **CORRECT** statement for line number 2 of the given algorithm
 RECURSIVE-ACTIVITY-SELECTOR(s, f, k, n)

```

1  m = k + 1
2  _____
3  m = m + 1
4  if m ≤ n
5  return {am} ∪ RECURSIVE-ACTIVITY-SELECTOR(s, f, m, n)
6  else return ∅
[ ] while m ≤ n and s[m] < f[k]
[ ] while m ≥ n and s[m] < s[k]
[ ] while m ≤ n and s[m] > f[k]
[ ] while m ≤ n and s[m] < s[k]
    
```

20. What is the total weight of the minimum spanning tree of the given graph?

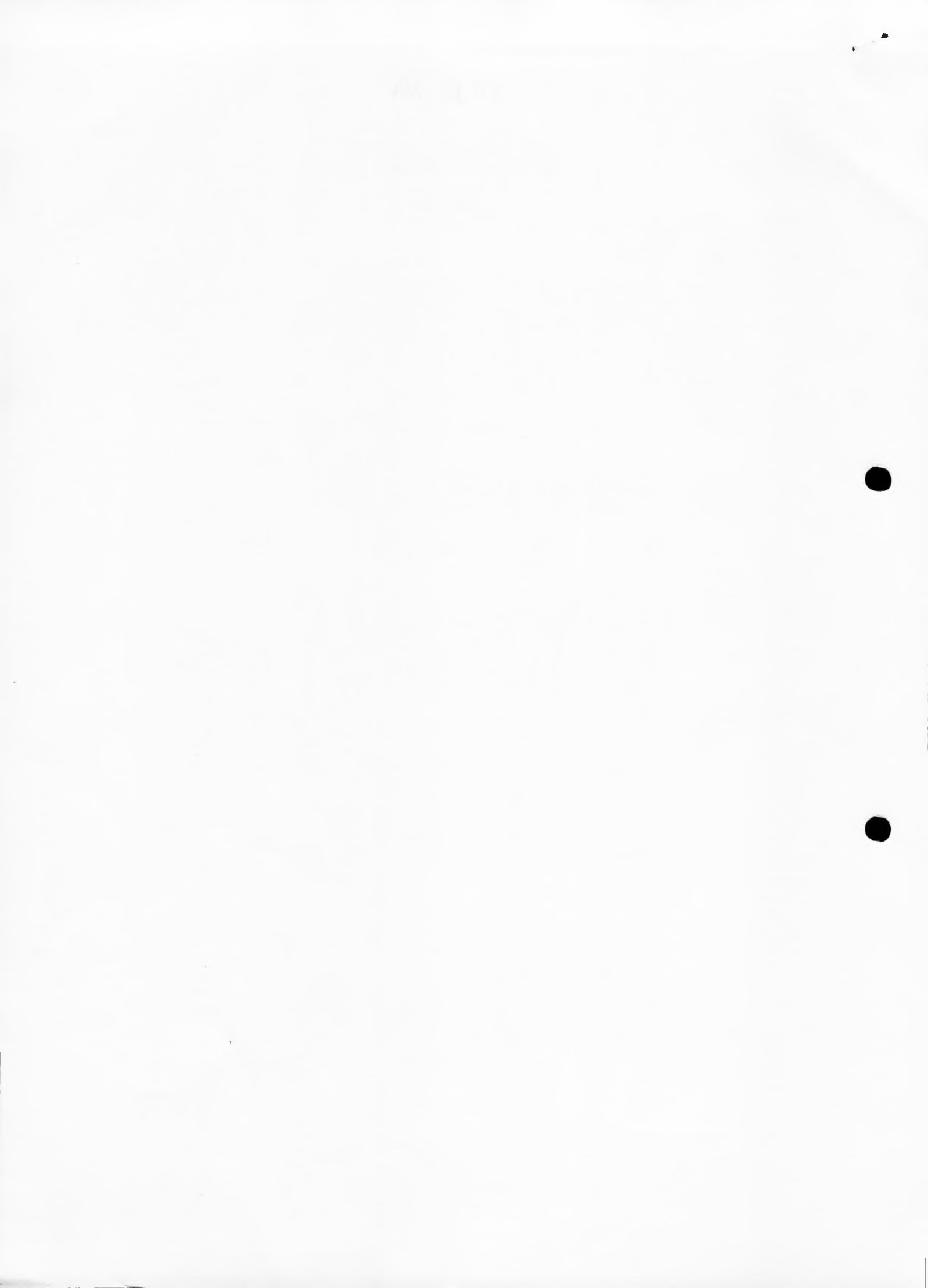


10

13

15

18



KATHMANDU UNIVERSITY
End Semester Examination
July/August, 2024

Level : B.Sc.
Year : III
Time : 2 hrs. 30mins.

30 JUL 2024

Course : COMP 314
Semester : II
F. M. : 40

SECTION "B"
[6Q. × 4 = 24 marks]

Attempt *ANY SIX* questions.

1. Provide pseudocode for sorting an array using insertion sort. Explain the role of loop invariants in ensuring the correctness of the insertion sort algorithm. [4]
2. How do backtracking and branch-and-bound differ in terms of their approach to solving problems? [4]
3. How does a binary tree-based parallel prefix sum differ from a sequential prefix sum? [2+2]
4. How do the balancing techniques of AVL trees and Red-Black trees differ? Illustrate with suitable example. [4]
5. How can a greedy approach solve the Activity Selection problem? Apply Activity Selection problem in following list of activities: [1+3]

Activities	A1	A2	A3	A4	A5	A6
Start Time	2	1	0	1	3	4
End Time	5	3	3	2	6	7

6. Write down the Dijkstra's shortest path algorithm and analysis it. [4]
7. Write short notes on (Any Two) [2+2]
 - a. Master Theorem
 - b. Las Vegas algorithms
 - c. Fibonacci heap

SECTION "C"
[2Q. × 8 = 16 marks]

Attempt *ANY TWO* questions.

8. a. How can you formulate a recursive solution for the matrix chain multiplication problem, and how does it work? [3]
- b. Compute the optimal costs for given matrices: [5]
 - A₁ of dimension 5 × 4
 - A₂ of dimension 4 × 6
 - A₃ of dimension 6 × 2
 - A₄ of dimension 2 × 7
 - Dimensions sequence = <5, 4, 6, 2, 7>

P.T.O.

9. a. What is the Ford-Fulkerson method, and how does it solve the maximum flow problem? [4]
[4]
- b. Analysis the max-heapify based on best case and worst-case time complexity.
10. a. How can proof by induction be used to prove the correctness of Quick Sort? [3]
- b. How does the reduction from 3SAT to the 0/1 Knapsack problem illustrate the concept of polynomial-time reductions? [5]