



10. The velocity through a channel of circular section will be maximum when the depth of water is ..... the diameter of the circular channel.  
 a. 0.35 times      b. 0.65 times      c. 0.81 times      d. 0.95 times
11. The loss of head at entrance of a pipe is (where  $v$  = velocity of water in the pipe)  
 a.  $v^2/2g$       b.  $(0.5*v^2)/2g$       c.  $(0.35*v^2)/2g$       d.  $(0.75*v^2)/2g$
12. If the depth of flow in an open channel is less than the critical depth, the flow is called.....  
 a. Critical flow      b. Turbulent flow      c. Subcritical flow      d. Supercritical flow
13. The relation between the critical depth and specific energy is given by .....  
 a.  $(q/g)^{1/2}$       b.  $(q^2/g)^{1/3}$       c.  $(q^3/g)^{1/4}$       d.  $(q^4/g)^{1/5}$   
 Where the symbol has their usual meaning.
14. Those channels in which the flow transport the sediment having the same characteristics as that of material in the channel is called.....  
 a. Prismatic      b. Alluvial  
 c. Non- Prismatic      d. Rigid boundary channel
15. Dimension Shields number,  $C_s$  is given by  
 a.  $\tau_0 / (\gamma_s - \gamma_w) * d$       b.  $\tau_0 / (\gamma_w - \gamma_s) * d$   
 c.  $(\tau_0 * d) / (\gamma_s - \gamma_w)$       d.  $\tau_0 / \gamma_s * d$   
 Where the symbol has their usual meaning.
16. The force exerted by the flowing liquid on the channel perimeter is called.....  
 a. Normal force      b. Pressure force      c. Tractive force      d. Lift force
17. Kinematic similarity between the model and prototype is the  
 a. Similarity of motion      b. Similarity of lengths  
 c. Similarity of discharge      d. Similarity of forces
18. In Hardy Cross method of solving pipe network, the algebraic sum of head losses round each loop must be .....  
 a. Positive      b. Zero      c. Negative      d. One
19. The number of water surface profiles type in gradually varied flow are...  
 a. 3      b. 6      c. 9      d. 12
20. The dynamic equation of gradually varied flow is given by.....  
 a.  $S_b - S_f = (dy/dx) [1 - (Q^2 * T / g * A^3)]$       b.  $S_f - S_b = (dy/dx) [1 - (Q^2 * T / g * A^3)]$   
 c.  $S_b - S_f = [1 - (Q^2 * T / g * A^3)]$       d.  $S_b - S_f = (dy/dx) [1 - (Q^2 * A^3 / g * T)]$